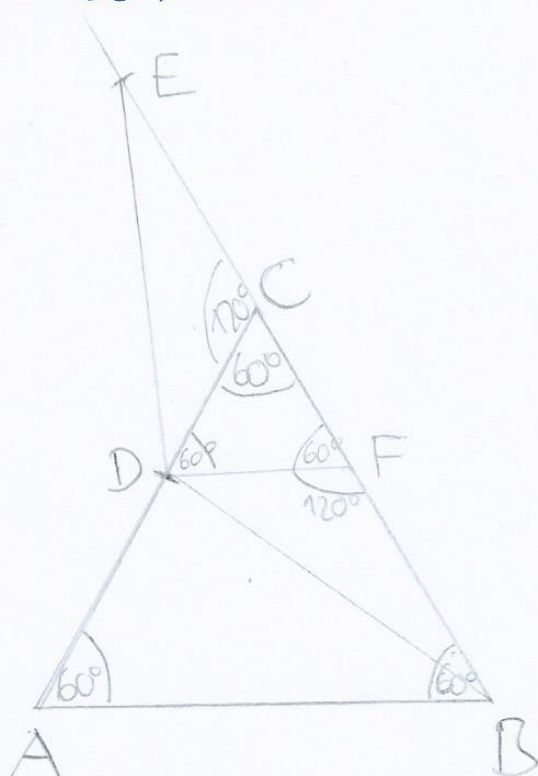


C-1-3

(1)  $|AD| = |CE|$

Frage:  $|BD| = |DE|$ ?



Zuerst zeichnen wir eine Parallele zu  $|AB|$  auf  $D$ .  
Der Punkt auf der Parallele auf  $|BC|$  benennen wir mit  $F$ .

$\Rightarrow \triangle DFC$  ist gfs  
 $\Rightarrow |DF| = |DC|$

$$\angle ECD = \angle DFB = 180^\circ - 60^\circ = 120^\circ$$

$|AD| = |FB|$  weil  $|DF| \parallel |AB|$

$\Rightarrow (1): |CE| = |FB|$

$$\Rightarrow \triangle DFB = \triangle DEC$$

$$\Rightarrow \underline{\underline{|BD| = |DE|}}$$

C-1-4

$$(1) A = \frac{x+y}{2}$$

$$(2) G = \sqrt{xy}$$

$$(3) \frac{A}{G} = \frac{5}{4}$$

$$\frac{x}{y} = ?$$

$$\frac{x+y}{\sqrt{xy}} = \frac{2A}{G} = \frac{10}{4} \quad | : \frac{y}{y}$$

$$\frac{\frac{x}{y} + 1}{\frac{\sqrt{xy}}{\sqrt{y}}} = \frac{\frac{x}{y} + 1}{\sqrt{\frac{x}{y}}} = \frac{10}{4}$$

$$4\sqrt{\frac{x}{y}}^2 - 10\sqrt{\frac{x}{y}} + 4 = 0 \quad | : 2$$

$$2\sqrt{\frac{x}{y}}^2 - 5\sqrt{\frac{x}{y}} + 2 = 0$$

$$\sqrt{\frac{x}{y}} = z$$

$$2z^2 - 5z + 2 = 0$$

$$2z^2 - 4z - (z-2) = 0$$

$$2z(z-2) - (z-2) = 0$$

$$(2z-1)(z-2) = 0 \rightarrow \begin{cases} z=2 \\ z=\frac{1}{2} \end{cases}$$

$$z = \sqrt{\frac{x}{y}} = 2 \quad |^2$$

$$\frac{x}{y} = 4 = \frac{4}{1}$$

$$z = \sqrt{\frac{x}{y}} = \frac{1}{2} \quad |^2$$

$$\frac{x}{y} = \frac{1}{4}$$